Improving 'Sub-Grid' Representation in the SLOSH Model

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The Sea, Lake, Overland Surges from Hurricanes or SLOSH model is the operational storm surge forecast model used by the National Hurricane Center.

- Uses a 2D curvi-linear, polar coordinate grid
- Takes storm parameters as input
- Runs probabilistic forecasts

GOAL: To improve the representation of small scale features in a SLOSH grid by correcting with information from high-resolution data sets.

SLOSH grids:

 Coarse resolution representing complex landscape features during simulations.

2. Motivation

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- Small-scale features such as channels, bays, and barriers, are input manually.
- Post-processing leads to output in Figure 1, where results are downscaled to higher resolution data sets.

PROBLEM: How do we know the current SLOSH grids are accurately representing flow through fine scale features? Can we test our corrections on grids of varying resolution?



4. Validation

Comparison of the analytical solution to SLOSH output with constant winds

3. Methods

SOLUTION: Examine

Create grid using



5. Results

6. Future Work

FULL SOLUTION: Add correction term, ϕ into the SLOSH governing equation as an alternative to the inclusion of 'sub-grid' features in the SLOSH grids.

$$\phi = \frac{A_W}{A_G}$$
 The wet area fraction

 $\frac{\partial \langle \mathcal{V} \rangle_G}{\partial t} = -g \langle H \rangle_G \left(B_r \frac{\partial \langle h \rangle_W}{\partial Q} - B_i \frac{\partial \langle h \rangle_W}{\partial P} \right) + f (A_r \langle \mathcal{U} \rangle_G + A_i \langle \mathcal{V} \rangle_G) + \phi r \cos \theta \langle y_T \rangle_W + \phi r \sin \theta \langle x_T \rangle_W$ $\frac{\partial \langle \mathcal{U} \rangle_G}{\partial t} = -g \langle H \rangle_G \left(B_r \frac{\partial \langle h \rangle_W}{\partial P} - B_i \frac{\partial \langle h \rangle_W}{\partial O} \right) + f(A_r \langle \mathcal{V} \rangle_G + A_i \langle \mathcal{U} \rangle_G) + \phi r \cos \theta \langle x_T \rangle_W + \phi r \sin \theta \langle y_T \rangle_W$

The averaged momentum equations in the P and Q-directions